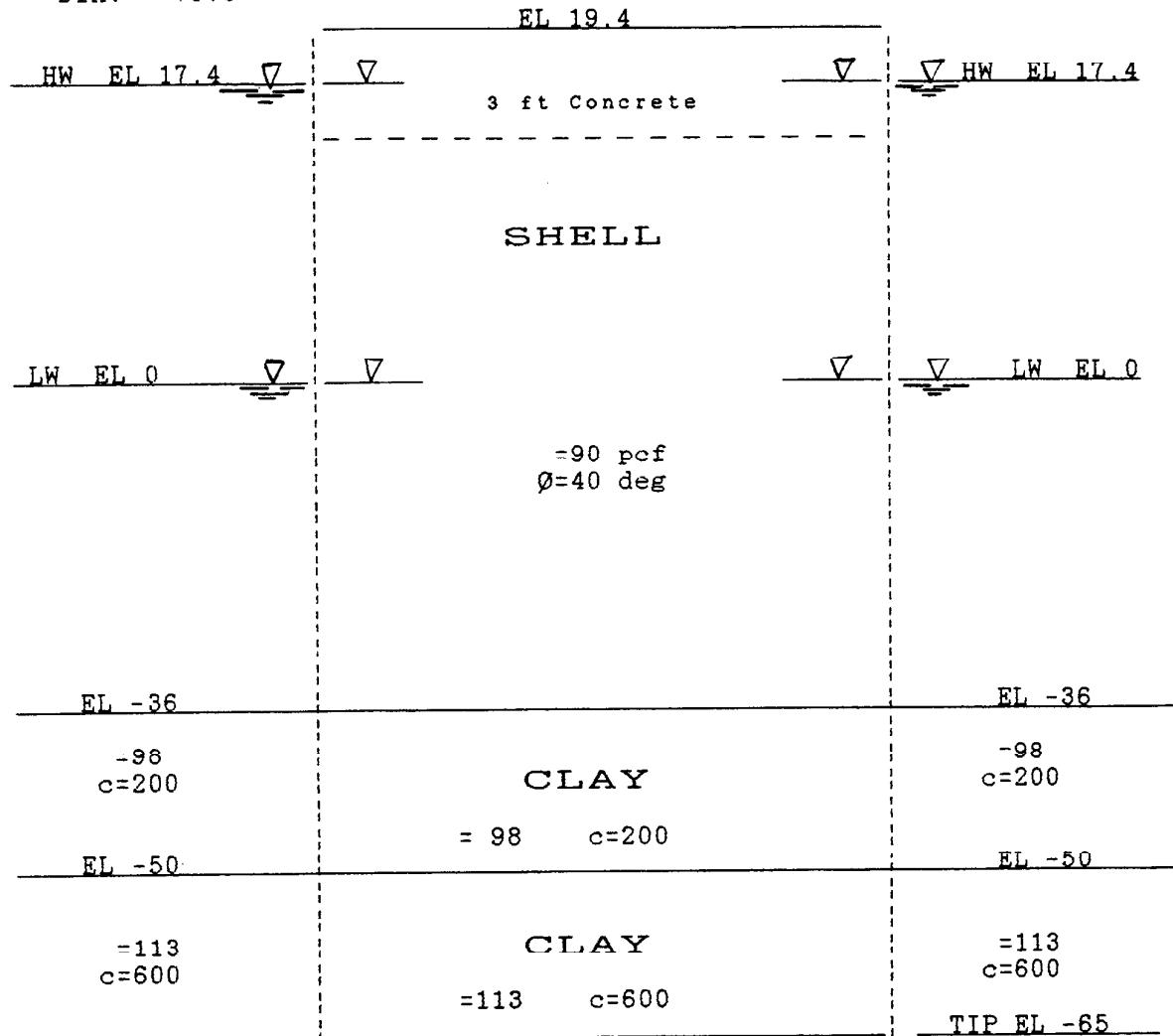


Project: IHNC Lock Replacement
 Subject: MOORING CELL

PS28 FILES
 DIA. = 79.3



MAX. IMPACT FORCE = 650k

THIS MOORING CELL WAS NOT DESIGNED FOR IMPACT LOADS

CELLULAR COFFERDAM DESIGN

IHNC MOORING CELL DIA.= 79.3

INTERLOCK TENSION (HOOP TENSION)
(see Bolwes, pg 557-558) K_a = (use Rankine or Coulomb K_a)

Case I : Low water at el. 0

$$t_{max} = \text{Interlock Tension Force} = \frac{\sqrt{T} \times R}{12}$$

where $\sqrt{T} = K_a \sqrt{(H_c - H_1)} + K_a \sqrt{(H_1 - H_c/4)} + \sqrt{w(H_3 - H_c/4)}$
 H_c = free height of cofferdam = 55.4 ft

H_1 = avg. height of saturation inside cofferdam = 36 ft

H_3 = height of saturation line at inboard face = 36 ft

 K_a = coefficient of active earth pressure (Rankine)

$= \tan^2(45-\theta/2) = 0.217 \text{ for } \theta=40 \text{ deg}$

Ultimate interlock stress = 8000 pli (use F.S. = 2)
(see USS Manual, 1975, pg 77 for PS 28 sheetpile)

$$\sqrt{T} = 0.217(90)(55.4-36) + 0.217(27.5)(36-55.4/4)$$
 $= 511 \text{ psf}$

$t_{max} = \frac{511 \times 39.7}{12} = 1690 \text{ lbs/in}$

$F.S. = \frac{\text{Ultimate interlock stress}}{t_{max}} = \frac{8000}{1690} = 4.7 > 2 \quad \text{OK}$

SLIDING :

$$F.S. = \frac{\text{Resisting}}{\text{Driving}} = \frac{cL + P_p}{P_a} > 1.5$$

bottom of cell assumed to slide on clay with $c=600$ psf

$L = R = 79.3 \text{ ft}$

$P_p \text{ (psf)} = K_p \sqrt{H_s} + 2c$

$P_a \text{ (psf)} = K_a \sqrt{H_s} - 2c$

$K_a = \text{coefficient of active earth pressure (Rankine)}$
 $= \tan^2(45-\theta/2) = 1 \text{ for clay}$

$K_p = \text{coefficient of passive earth pressure (Rankine)}$
 $= \tan^2(45-\theta/2) = 1 \text{ for clay}$

Resisting Forces:

$P_p = 35100 \text{ lbs/ft} \quad (\text{see diagram 1})$

$cL = (600)(79.3) = 47600 \text{ lbs/ft}$

Driving Forces:

$P_a = 350 \text{ lbs/ft} \quad (\text{see diagram 1})$

$F.S. = \frac{47600 + 35100}{350} > 236 \quad \text{OK}$

BEARING CAPACITY:

$$q_{ult} = 1.3N_c c + \gamma' D$$

where $N_c = 5.7$ (Terzaghi & Peck)

$c = 800 \text{ psf}$

$$\gamma' D = (40.5)(29) = 1175 \text{ psf}$$

$$q_{ult} = (1.3)(5.7)(800) + 1175 = 7100 \text{ psf}$$

$$F.S. = \frac{q_{ult}}{W_{cell} + 6M_o/B^2}$$

CASE I: Water = El 0

$$\begin{aligned} \text{Bearing Load} &= W_{cell} \\ &= 3(150) + 16.4(90) + 36(27.5) + 29(49.5) \\ &= 4350 \text{ psf} \end{aligned}$$

where $P_w = P_{wR} - P_{wL} = 0$

$P_p = 35100 \text{ lbs/ft}$

$P_a = 350 \text{ lbs/ft}$

$$\begin{aligned} M_o &= \text{overturning moment} = (350 \times 15.9 - 35100 \times 11.6) \\ &= -401600 \text{ ft-lbs} \end{aligned}$$

$$F.S. = \frac{7100}{4350 + 6(401600)/(79.3)^2} = \frac{7100}{4350 + 380} = 1.5 \quad \text{OK}$$

CASE II: Water = El 17.4

$$\begin{aligned} \text{Bearing Load} &= W_{cell} \\ &= 2(150) + 1(87.5) + 52.4(27.5) + 29(49.5) \\ &= 3100 \end{aligned}$$

$$F.S. = \frac{7100}{3100 + 380} = 2.0 \quad \text{OK}$$

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SHEAR FAILURE ON CENTERLINE OF CELL:
(VERTICAL SHEAR):

For simplicity, assume cell filled with shell down to bottom:

CASE II: Water = El 17.4

$$F.S. = \frac{S_I}{Q} \quad \text{and} \quad Q = 3M_o/2B$$

$$K_a = \frac{\cos^2(\theta)}{2-\cos^2(\theta)} = 0.415$$

$$S_I = P_s \tan(\theta) + fP_r$$

where $f = 0.3$ (friction between steel interlocks)

because of clay foundation, $P_s = P_r$ (see USS Manual, 1975, pg 77)

$$P_s = P_r = 60725 \quad (\text{see diagram 2})$$

$$S_I = 60725 \times \tan(40) + (0.3)(60725) = 69,200 \text{ lbs/ft}$$

$$M_o = \text{overturning moment} = 401600 \text{ ft-lbs}$$

where $P_w = 0$

$$F.S. = \frac{S_I}{Q} = \frac{S_I \times 2B}{3M} = \frac{(69200)(2)(79.3)}{(3)(401600)} = 9.1 \quad \text{OK}$$

CASE I: Water = El 0

$$K_a = 0.415$$

$$P_s = P_r = 112300 \quad (\text{see diagram 3})$$

$$S_I = 112300 \times \tan(40) + (0.3)(112300) = 128,000 \text{ lbs/ft}$$

$$M_o = \text{overturning moment} = 401600 \text{ ft-lbs}$$

$$f = 0.3$$

$$F.S. = \frac{S_I}{Q} = \frac{S_I \times 2B}{3M} = \frac{(128000)(2)(79.3)}{(3)(401600)} = 16.8 \quad \text{OK}$$

SLIPPING - SHEETING AND CELL FILL:

For simplicity, assume cell filled with shell down to bottom:

$$F.S. = \frac{B(P_w + P_a) \tan \delta + P_p H_p}{(P_w H / 3 + P_a H_a)}$$

$$P_p = 35100 \text{ lbs/ft}$$

$$P_a = 350 \text{ lbs/ft}$$

$$P_w = P_{wR} - P_{wL} = 0$$

$$H_a = 15.9 \text{ ft}$$

$$H_p = 11.6 \text{ ft}$$

$$\delta = 2/3(\theta) = 26.7 \text{ deg (NAVFAC 7.2)}$$

$$F.S. = \frac{79.3[(0 + (350)(0.50))1 + 35100(11.6)]}{0 + (350)(15.9)} = 75.7 \quad \text{OK}$$

HORIZONTAL SHEAR (CUMMINGS METHOD):

For simplicity, assume cell filled with shell down to bottom:

$$F.S. = \frac{M_r + M_i + P_p H_p}{P_w H / 3 + P_a H_a}$$

where $M_r = \frac{ab^2}{2} + \frac{b^3}{3} =$ resisting moment from cell fill friction

$$b = \tan\theta(B) = \tan(40)(79.3) = 66.5 \text{ ft}$$

$$a = H - b = 84.4 - 66.5 = 17.9 \text{ ft}$$

$$\text{so } M_r = \frac{(17.9)(66.5)^2(55)}{2} + \frac{66.5^3(55)}{3} = 7568000 \text{ lb-ft}$$

and $M_i = P_t(B)(f) =$ resisting moment from sheetpile friction

for High water = 17.4 -- $P_t = 60725$

for Low water = 0 ----- $P_t = 112300$

$$M_i (\text{Low water}) = (112300)(84.4)(0.3) = 2830000 \text{ lb-ft}$$

$$M_i (\text{High water}) = (60725)(84.4)(0.3) = 1537600 \text{ lb-ft}$$

$$P_w = P_{wR} - P_{wL} = 0$$

$$P_p = 35100 \text{ lbs/ft}$$

$$P_a = 350 \text{ lbs/ft}$$

$$H_a = 15.9 \text{ ft}$$

$$H_p = 11.6 \text{ ft}$$

$$\text{so F.S. (Low water)} = \frac{7568000 + 2830000 + (35100)(11.6)}{0 + (350)(15.9)} = 1940 \quad \text{OK}$$

$$\text{and F.S. (High water)} = \frac{7568000 + 1537600 + (35100)(11.6)}{0 + (350)(15.9)} = 1700 \quad \text{OK}$$

PULL-OUT OF OUTER SHEETING:

$$F.S. = \frac{Q_u}{Q_p} > 1.5$$

for clay, $Q_u = c_a \times \text{perimeter} \times \text{embedded length}$

where $c_a = 400 \text{ psf (avg)}$

perimeter = $79.3 \times \pi = 249 \text{ ft}$ and embedded length = 29 ft

$$Q_u = 2890000 \text{ lbs}$$

$$Q_p = \frac{P_a H_s - P_d H_B + P_w H}{3B(1 + B/4L)}$$

$$P_w = 0$$

$$P_p = 35100 \text{ lbs/ft} \text{ and } P_a = 350 \text{ lbs/ft}$$

$$H_s = H_B = 29 \text{ ft}$$

$$Q_p = \frac{350(29) - 35100(29)}{3(79.3)[1 + (79.3/(4)(79.3)]} = -3400$$

$$F.S. = 2890000/3400 = 850 \quad \text{OK}$$

PENETRATION OF INBOARD SHEETING:

$$F.S. = \frac{(P_p + P_s) \tan \delta_o}{P_a \tan(\delta_f)} = \frac{P_a \tan \delta_o + c L_s}{P_a \tan(\delta_f)}$$

where δ_f = angle of friction between sheetpile and cell fill

δ_o = angle of friction between sheetpile and soil

P_a = cell fill pressure on inboard sheeting above dredgeline

P_s = soil pressure inside of inboard sheeting below dredgeline

P_p = soil pressure outside of inboard sheeting

$$P_p = 35100 \text{ lbs/ft}$$

$$P_s = 71800 \text{ lbs/ft}$$

$$P_a = 40500 \text{ lbs/ft}$$

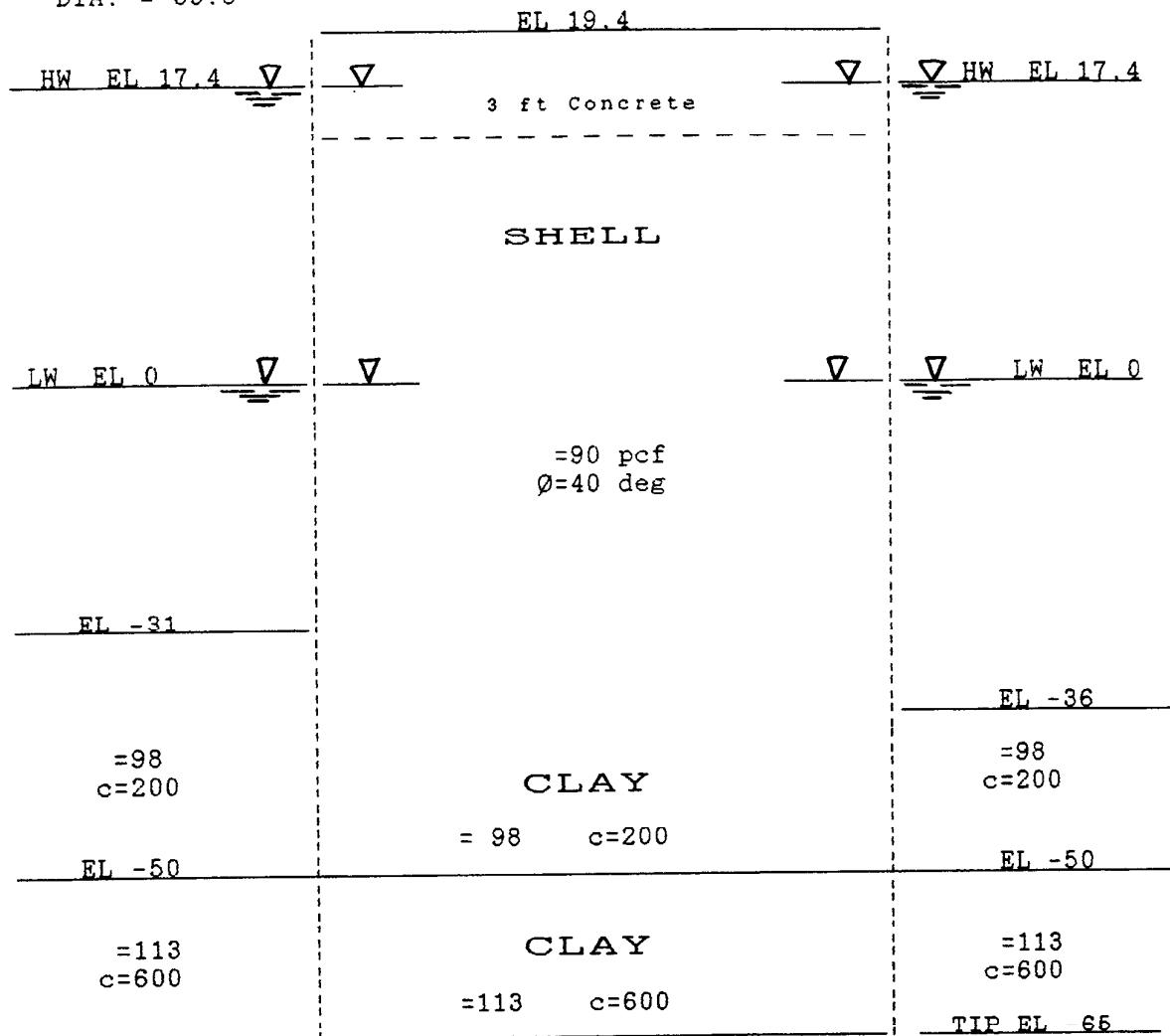
$$\delta_o = 0 \text{ for clay}$$

$$\delta_f = 26.7 \text{ deg}$$

$$F.S. = \frac{400(29) + 400(29)}{40500 \tan(26.7)} = 1.14$$

Project: IHNC Lock Replacement
 Subject: GUIDEWALL DOLPHIN

PS28 PILES
 DIA. = 35.6



MAX. IMPACT FORCE DURING HIGH WATER (17.4) = 270k

MAX. IMPACT FORCE DURING LOW WATER (0.0) = 230k

THIS GUIDEWALL DOLPHIN WAS NOT DESIGNED FOR IMPACT LOADS

CELLULAR COFFERDAM DESIGN

IHNC GUIDEWALL CELL DIA.= 35.6

INTERLOCK TENSION (HOOP TENSION)
(see Bolwes, pg 557-558)

$$K_a = \text{use Rankine or Coulomb } K_a$$

Case I : Low water at el. 0

$$t_{max} = \frac{\sigma_T \times R}{12}$$

where $\sigma_T = K_a \sqrt{(H_c - H_1)} + K_a \sqrt{(H_1 - H_c/4)} + \gamma_w (H_3 - H_c/4)$

 H_c = free height of cofferdam = 52.9 ft H_1 = avg. height of saturation inside cofferdam = 33.5 ft H_3 = height of saturation line at inboard face = 33.5 ft K_a = coefficient of active earth pressure (Rankine)

$$= \tan^2(45-\theta/2) = 0.217 \text{ for } \theta=40 \text{ deg}$$

Ultimate interlock stress = 8000 pli (use F.S. = 2)

(see USS Manual, 1975, pg 77 for PS 28 sheetpile)

$$\sigma_T = 0.217(90)(52.9-33.5) + 0.217(27.5)(33.5-52.9/4)$$

$$= 500 \text{ psf}$$

$$t_{max} = \frac{500 \times 17.8}{12} = 740 \text{ lbs/in}$$

$$F.S. = \frac{\text{Ultimate interlock stress}}{t_{max}} = \frac{8000}{740} = 10.8 > 2 \quad \text{OK}$$

SLIDING :

$$F.S. = \frac{\text{Resisting}}{\text{Driving}} = \frac{cL + P_p}{P_a} > 1.5$$

bottom of cell assumed to slide on clay with $c=600$ psf $L = R = 79.3$ ft

$$P_p (\text{psf}) = K_p \sqrt{H_s + 2c}$$

$$P_a (\text{psf}) = K_a \sqrt{H_s - 2c}$$

 K_a = coefficient of active earth pressure (Rankine)

$$= \tan^2(45-\theta/2) = 1 \text{ for clay}$$

 K_p = coefficient of passive earth pressure (Rankine)

$$= \tan^2(45-\theta/2) = 1 \text{ for clay}$$

Resisting Forces:

$$P_p = 47275 \text{ lbs/ft} \quad (\text{see diagram 4})$$

$$cL = (600)(35.6) = 21360 \text{ lbs/ft}$$

Driving Forces:

$$P_a = 350 \text{ lbs/ft} \quad (\text{see diagram 4})$$

$$F.S. = \frac{21360 + 47275}{350} > 196 \quad \text{OK}$$

BEARING CAPACITY:

$$q_{ult} = 1.3N_c c + \gamma' D$$

where $N_c = 5.7$ (Terzaghi & Peck)

$c = 800 \text{ psf}$

$$\gamma' D = (40.5)(29) = 1175 \text{ psf}$$

$$q_{ult} = (1.3)(5.7)(800) + 1175 = 7100 \text{ psf}$$

$$F.S. = \frac{q_{ult}}{W_{cell} + 6M_o/B^2}$$

CASE I: Water = El 0

Bearing Load = W_{cell}

$$\begin{aligned} &= 3(150) + 16.4(90) + 33.5(27.5) + 31.5(49.5) \\ &= 4400 \text{ psf} \end{aligned}$$

where $P_w = P_{wR} - P_{wL} = 0$

$P_p = 47275 \text{ lbs/ft}$

$P_a = 350 \text{ lbs/ft}$

$$\begin{aligned} M_o &= \text{overturning moment} = (350 \times 15.9 - 47275 \times 11.8) \\ &= -552300 \text{ ft-lbs} \end{aligned}$$

$$F.S. = \frac{7100}{4400 + 6(-552300)/(35.6)^2} = \frac{7100}{4400 + 2600} = 1.0$$

CASE II: Water = El 17.4

Bearing Load = W_{cell}

$$\begin{aligned} &= 2(150) + 1(87.5) + 49.9(27.5) + 31.5(49.5) \\ &= 3300 \end{aligned}$$

$$F.S. = \frac{7100}{3300 + 2600} = 1.2$$

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SHEAR FAILURE ON CENTERLINE OF CELL:
(VERTICAL SHEAR):

For simplicity, assume cell filled with shell down to bottom:

CASE II: Water = El 17.4

$$F.S. = \frac{S_I}{Q} \quad \text{and} \quad Q = 3M_o/2B$$

$$K_a = \frac{\cos^2(\theta)}{2-\cos^2(\theta)} = 0.415$$

$$S_I = P_s \tan(\theta) + f P_f$$

where $f = 0.3$ (friction between steel interlocks)
because of clay foundation, $P_s = P_f$ (see USS Manual, 1975, pg 77)
 $P_s = P_f = 62570$ (see diagram 5)
 $S_I = 62570 \times \tan(40) + (0.3)(62570) = 71,270 \text{ lbs/ft}$

$$M_o = \text{overturning moment} = 552300 \text{ ft-lbs}$$

where $P_w = 0$

$$F.S. = \frac{S_I}{Q} = \frac{S_I \times 2B}{3M} = \frac{(71270)(2)(35.6)}{(3)(552300)} = 3.0 \quad \text{OK}$$

CASE I: Water = El 0

$$K_a = 0.415$$

$$P_s = P_f = 115300 \quad (\text{see diagram 6})$$

$$S_I = 115300 \times \tan(40) + (0.3)(115300) = 131,300 \text{ lbs/ft}$$

$$M_o = \text{overturning moment} = 552300 \text{ ft-lbs}$$

$$f = 0.3$$

$$F.S. = \frac{S_I}{Q} = \frac{S_I \times 2B}{3M} = \frac{(131300)(2)(35.6)}{(3)(552300)} = 5.6 \quad \text{OK}$$

SLIPPING - SHEETING AND CELL FILL:

For simplicity, assume cell filled with shell down to bottom:

$$F.S. = \frac{B(P_w + P_a) \tan \delta + P_p H_p}{(P_w H / 3 + P_a H_a)}$$

where $\tan \delta = 0.25$ (reference Pile Buck Design Manual, 1987)

$$P_p = 47275 \text{ lbs/ft}$$

$$P_a = 350 \text{ lbs/ft}$$

$$P_w = P_{wR} - P_{wL} = 0$$

$$H_a = 15.9 \text{ ft}$$

$$H_p = 11.6 \text{ ft}$$

$$\delta = 2/30 = 26.7 \text{ deg (NAVFAC 7.2)}$$

$$F.S. = \frac{35.6[(0 + (350)(0.50)] + 47275(11.8)}{0 + (350)(15.9)} = 101 \quad \text{OK}$$

HORIZONTAL SHEAR (CUMMINGS METHOD):

For simplicity, assume cell filled with shell down to bottom:

$$F.S. = \frac{M_r + M_i + P_p H_p}{P_w H / 3 + P_a H_a}$$

where $M_r = \frac{ab^2}{2} + \frac{b^3}{3} =$ resisting moment from cell fill friction

$$b = \tan\theta(B) = \tan(40)(35.6) = 30 \text{ ft}$$

$$a = H - b = 84.4 - 30 = 54.4 \text{ ft}$$

$$\text{so } M_r = \frac{(54.4)(30)^2(55)}{2} + \frac{30^3(55)}{3} = 1841400 \text{ lb-ft}$$

and $M_i = P_t(B)(f) =$ resisting moment from sheetpile friction

$$\text{for High water} = 17.4 \text{ -- } P_t = 62570$$

$$\text{for Low water} = 0 \text{ ----- } P_t = 115300$$

$$M_i (\text{Low water}) = (115300)(35.6)(0.3) = 1231400 \text{ lb-ft}$$

$$M_i (\text{High water}) = (62570)(35.6)(0.3) = 668200 \text{ lb-ft}$$

$$P_w = P_w R - P_w L = 0$$

$$P_p = 47275 \text{ lbs/ft}$$

$$P_a = 350 \text{ lbs/ft}$$

$$H_a = 15.9 \text{ ft}$$

$$H_p = 11.8 \text{ ft}$$

$$\text{so F.S. (Low water)} = \frac{1841400 + 1231400 + (47275)(11.8)}{0 + (350)(15.9)} = 652 \quad \text{OK}$$

$$\text{and F.S. (High water)} = \frac{1841400 + 668200 + (47275)(11.8)}{0 + (350)(15.9)} = 551 \quad \text{OK}$$

PULL-OUT OF OUTER SHEETING:

$$F.S. = \frac{Q_u}{Q_p} > 1.5$$

for clay, $Q_u = c_a \times \text{perimeter} \times \text{embedded length}$

where $c_a = 400 \text{ psf (avg)}$

perimeter = $35.6 \times \pi = 112 \text{ ft}$ and embedded length = 29 ft

$$Q_u = 1300000 \text{ lbs}$$

$$Q_p = \frac{P_a H_s - P_p H_p + P_w H_w}{3B(1 + B/4L)}$$

$$P_w = 0$$

$$P_p = 47275 \text{ lbs/ft} \text{ and } P_a = 350 \text{ lbs/ft}$$

$$H_s = H_B = 29 \text{ ft}$$

$$Q_p = \frac{350(29) - 47275(29)}{3(35.6)[1 + (35.6/(4)(35.6)]} = -10200$$

$$F.S. = 1300000/10200 = 127 \quad \text{OK}$$

PENETRATION OF INBOARD SHEETING:

$$F.S. = \frac{(P_d + P_s) \tan(\delta_o)}{P_a \tan(\delta_f)} = \frac{P_d \tan \delta + c L_s}{P_a \tan(\delta_f)}$$

where δ_{taf} = angle of friction between sheetpile and cell fill
 δ_{tao} = angle of friction between sheetpile and soil
 P_d = cell fill pressure on inboard sheeting above dredgeline
 P_s = soil pressure inside of inboard sheeting below dredgeline
 P_p = soil pressure outside of inboard sheeting

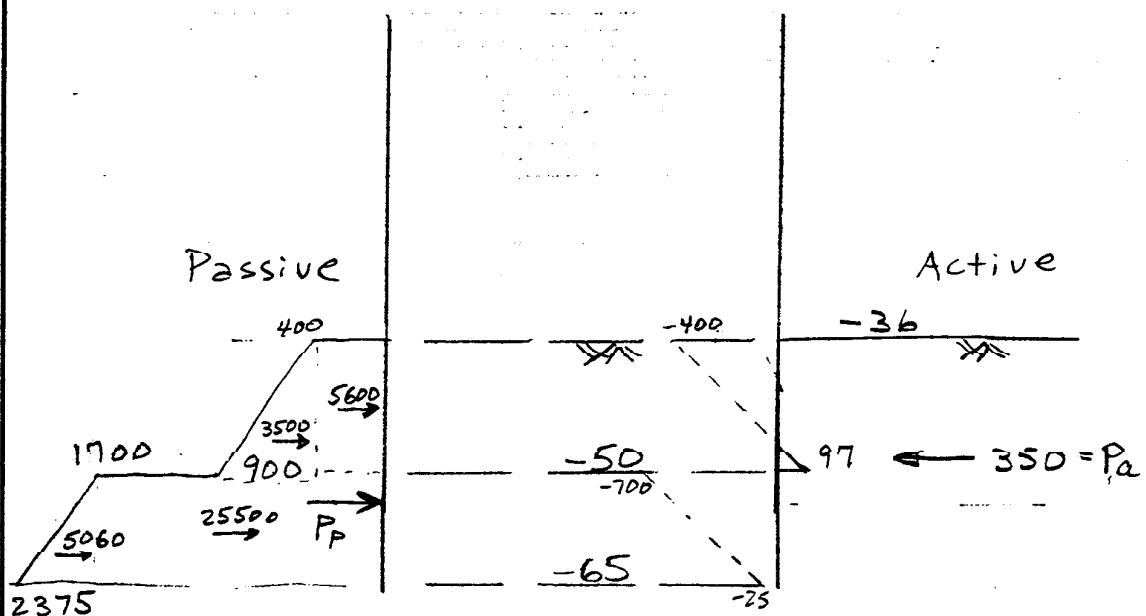
$$\begin{aligned} P_d &= 47275 \text{ lbs/ft} \\ P_s &= 77700 \text{ lbs/ft} \\ P_a &= 37600 \text{ lbs/ft} \\ \delta_o &= 0 \text{ for clay} \\ \delta_f &= 26.7 \text{ deg} \end{aligned}$$

$$F.S. = \frac{400(29) + 400(29)}{37600 \tan(26.7)} = 1.23$$

COMPUTATION SHEET

PROJECT	IHNC Ship lock	PAGE OF	COMPUTED BY	DATE
SUBJECT	Mooring Cell, B = 79.3'	CHECKED BY	KF	Sep 93

Active & Passive pressure on sheetpile walls from soil foundation.



$$P_P = 35100$$

$$P_a = 97(2.7)^2/2 = 350$$

distance from base

$$\text{for } P_a, x = 15 + \frac{1}{3}(2.7) = 15.9'$$

$$\text{for } P_P, x = \frac{5600(22) + 3500(19.7) + 25500(7.5) + 5060(5)}{5600 + 3500 + 25500 + 5060}$$

$$x = 11.6$$

Diagram 1

COMPUTATION SHEET

PROJECT SUBJECT	IHNC Shiplock Mooring Cell, B = 79.3'	PAGE OF	COMPUTED BY <i>KV</i>	DATE <i>Sep 93</i>
			CHECKED BY	DATE

High Water = EL 17.4

Active pressure inside of the cell wall. (For vert. shear)

$$@ 17.4 \quad P = K_A \gamma' H - 2c$$

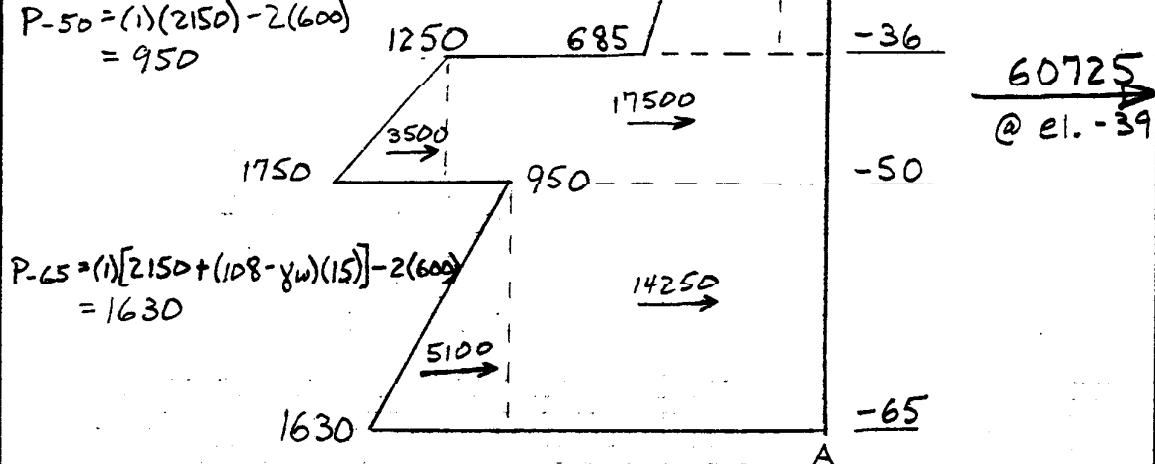
$$P_{17.4} = 0.415(90)(2) = 75$$

$$P_{-36} = 0.415[(90)(2) + (90 - \gamma_w)(53.4)] \\ = 685$$

$$P_{-36} = (1)[(90)(2) + (90 - \gamma_w)(53.4)] - 2(200) \\ = 1250$$

$$P_{-50} = (1)[(180) + (1470) + (98 - \gamma_w)(14)] - 2(200) \\ = 1750$$

$$P_{-50} = (1)(2150) - 2(600) \\ = 950$$



$$\Sigma \text{Resultants} = 60725 \text{ p/f}$$

distance "x" up from (pt+A) is

$$[75(83.1) + 4000(55.7) + 16300(46.8) + 17500(22) \\ + 3500(19.7) + 14250(7.5) + 5100(5)] \div 60725$$

$$x = 26' = \text{elev. } -39$$

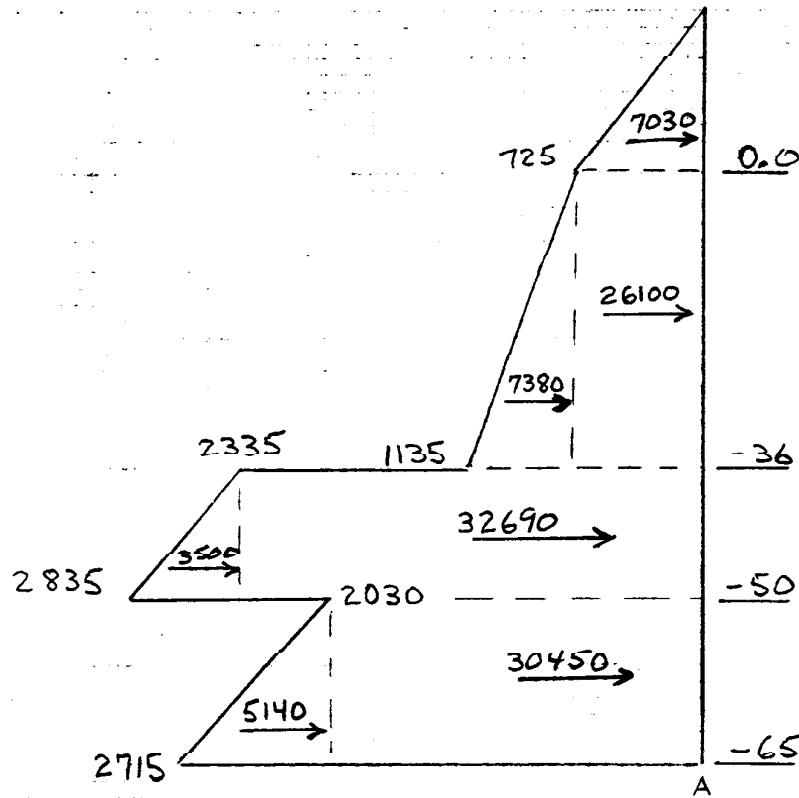
Diagram 2

COMPUTATION SHEET

PROJECT	PAGE OF	COMPUTED BY	DATE
SUBJECT	CHECKED BY		DATE

Low Water = EL 0.0

Active pressure inside of cell wall.
(For Vert. shear)



$$\sum R = 112300$$

distance "X" up from pt. A is

$$\left[7030(71.5) + 26100(47) + 7380(41) + 32690(22) + 3500(19.7) + 30450(7.5) + 5140(5) \right] \div 112300$$

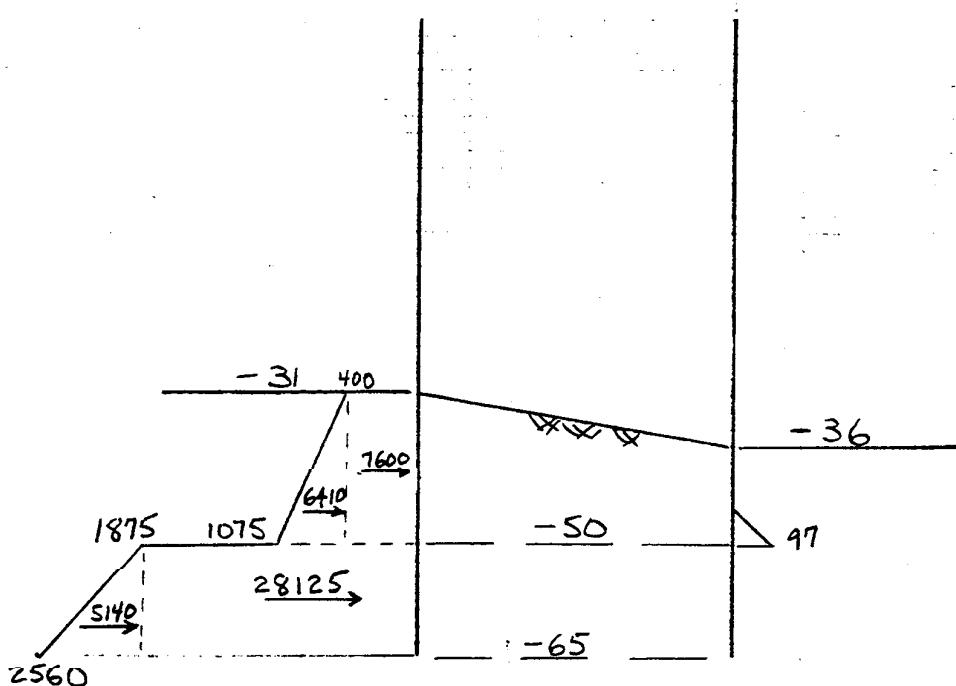
$$x = 27.4 = \text{elev. } 37.6$$

Diagram 3

COMPUTATION SHEET

PROJECT	IHNC Shiplock	PAGE OF	COMPUTED BY	DATE
SUBJECT	Guidewall Dolphin		CHECKED BY	SEP 93

Active & Passive pressures on
Sheetpile walls from foundation soils.



$$P_p = 47275$$

$$P_a = 350$$

distance from base
for Resultant P_p

$$X = \frac{7600(24.5) + 6410(21.3) + 28125(7.5) + 5140(5)}{47275} = 11.8$$

Diagram 4

COMPUTATION SHEET

PROJECT	IHNC Shiplock	PAGE OF	COMPUTED BY LF	DATE Sep 93
SUBJECT	Guidewall Dolphin	CHECKED BY		DATE

High Water = 17.4

Active pressures inside cell wall from cell fill.

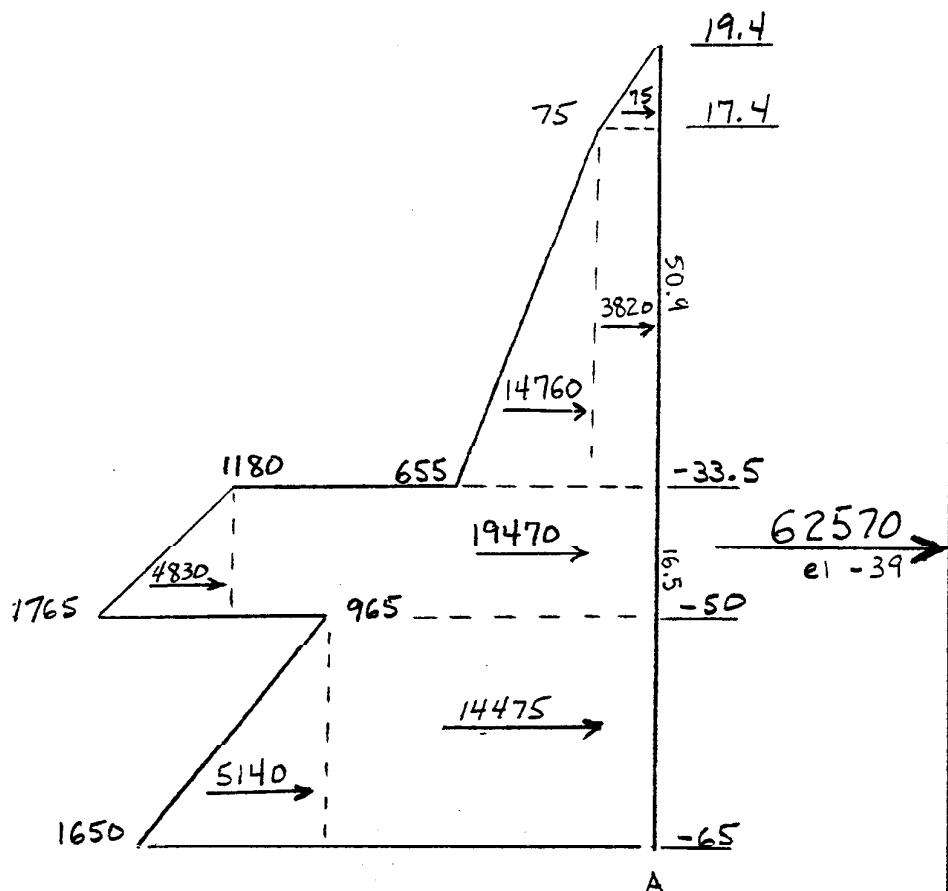


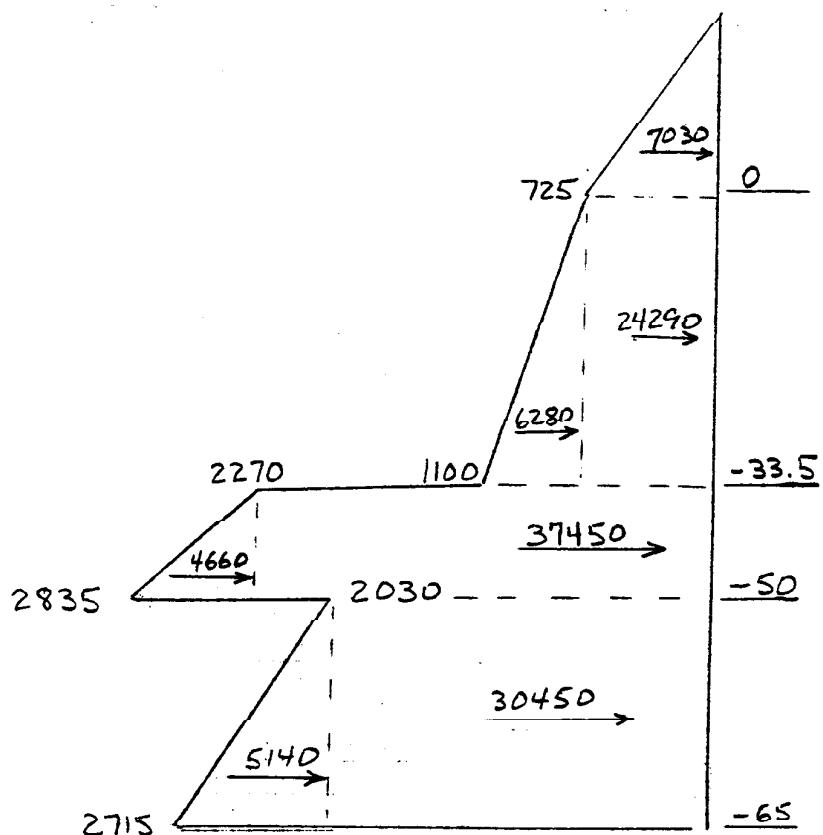
Diagram 5

COMPUTATION SHEET

PROJECT	IHNC Ship lock	PAGE OF	COMPUTED BY <i>KT</i>	DATE <i>Sep 73</i>
SUBJECT	Guidewall Dolphin		CHECKED BY	DATE

Low Water = EL 0.0

Active pressure inside cell wall
from cell fill.



$$\Sigma R = 115300 \text{ @ EL } -39$$

Diagram 6